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# Energetics of Allosteric Negative Coupling in the Zinc Sensor S. aureus CzrA

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Abstract: The linked equilibria of an allosterically regulated protein are defined by the structures, residuespecific dynamics and global energetics of interconversion among all relevant allosteric states. Here, we use isothermal titration calorimetry (ITC) to probe the global thermodynamics of allosteric negative regulation of the binding of the paradigm ArsR-family zinc sensing repressor Staphylococcus aureus CzrA to the czr DNA operator (CzrO) by Zn<sup>2+</sup>. Zn<sup>2+</sup> binds to the two identical binding sites on the free CzrA homodimer in two discernible steps. A larger entropic driving force  $\Delta(-T\Delta S)$  of -4.7 kcal mol<sup>-1</sup> and a more negative  $\Delta C_0$  characterize the binding of the first Zn<sup>2+</sup> relative to the second. These features suggest a modest structural transition in forming the Zn<sub>1</sub> state followed by a guenching of the internal dynamics on filling the second zinc site, which collectively drive homotropic negative cooperativity of  $Zn^{2+}$  binding ( $\Delta(\Delta G) = 1.8$ kcal mol<sup>-1</sup>). Negative homotropic cooperativity also characterizes Zn<sup>2+</sup> binding to the CzrA•CzrO complex  $(\Delta(\Delta G) = 1.3 \text{ kcal mol}^{-1})$ , although the underlying energetics are vastly different, with homotropic  $\Delta(\Delta H)$ and  $\Delta(-T\Delta S)$  values both small and slightly positive. In short,  $Zn^{2+}$  binding to the complex fails to induce a large structural or dynamical change in the CzrA bound to the operator. The strong heterotropic negative linkage in this system ( $\Delta G_c^t = 6.3$  kcal mol<sup>-1</sup>) therefore derives from the vastly different structures of the apo-CzrA and CzrA•CzrO reference states ( $\Delta H_c^{t} = 9.4$  kcal mol<sup>-1</sup>) in a way that is reinforced by a global rigidification of the allosterically inhibited Zn<sub>2</sub> state off the DNA ( $T\Delta S_c^{t} = -3.1 \text{ kcal mol}^{-1}$ , i.e.,  $\Delta S_c^{t} > 0$ ). The implications of these findings for other metalloregulatory proteins are discussed.

## Introduction

The now classical theoretical models of protein allostery were developed to explain the binding of a ligand at one site on the affinity of the same or different ligand at a distant site in an oligomeric protein.<sup>1,2</sup> Historically, this kind of allostery is strongly rooted in changes in quaternary structure that could potentially explain both homotropic (how ligand binding influences the binding of the same ligand to subsequent sites on the oligomer) and heterotropic (how ligand binding influences the binding of a second ligand) allostery. Such structure-based allostery is further predicted to be governed by a net enthalpic component,  $\Delta H_c$ , that is of the same sign as the net free energy of cooperativity,  $\Delta G_{\rm c}$ , be it positive allostery ( $\Delta G_{\rm c} < 0$ ) or negative allostery ( $\Delta G > 0$ ).<sup>3</sup> More recent views of allostery posit that a backbone conformational change may not be necessary for communication between ligand binding sites<sup>4</sup> and that a change in the dynamics at a site distant from a ligand binding site(s) might make a major contribution to the allosteric response<sup>5</sup> (for reviews, see refs 6 and 7). Such an allosteric

driving force originates with a change in backbone or side chain conformational entropies upon ligand binding,<sup>8</sup> which may result in a redistribution of populations of conformational microstates at longer time scales.<sup>3,9</sup> This type of allostery is predicted to occur with an overall net entropic component that is positive ( $\Delta S_c > 0$ ) for positive linkage ( $\Delta G_c < 0$ ), and negative for negative linkage. Thus, in the simplest case, three types of allosteric effects can be envisioned: Type I is governed completely by entropy (minimal, if any, backbone structural change), Type II contains entropic and enthalpic components (small structural changes accompany changes in dynamics) and Type III is entirely enthalpic in origin (a conformational change leads to a significant change in the ground-state structure of a binding site).

A metalloregulatory protein is an example of a specialized allosteric protein since binding of a metal ion triggers an allosteric response that propagates to the DNA binding interface resulting in an increased (positive regulation) or decreased (negative regulation) affinity for the operator DNA. *Staphylococcus aureus* CzrA is a paradigm member of the ArsR (or SmtB/ArsR) family of allosteric regulators<sup>10,11</sup> that possesses features characteristic of many classical allosteric proteins, that is, the allosteric metal ions bind to sites positioned at subunit interfaces within a homo-oligomer far from the DNA binding

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site; as a result, CzrA has been the subject of detailed structural and thermodynamic studies.<sup>12–15</sup> Like other homo-oligomeric allosteric proteins, CzrA incorporates homotropic allostery in the binding of the two Zn<sup>2+</sup> ions to the homodimer that is superimposed on heterotropic allostery of Zn<sup>2+</sup>-dependent regulation of DNA operator binding, the energetic basis of which is essentially unexplored.<sup>12</sup>

In S. aureus, CzrA negatively regulates the transcription of the *czrAB* operon in response to the addition of  $Zn^{2+}$  and  $Co^{2+}$ salts to the growth media.<sup>16,17</sup> CzrB is a cation diffusion facilitator (CDF) family efflux pump<sup>18,19</sup> that protects *S. aureus* from metal toxicity. CzrA binds to the operator/promoter region of *czrAB* and represses transcription;  $Zn^{2+}$  binding lowers the affinity of CzrA for the czr operator (denoted CzrO), leading to derepression of czrAB. ArsR family proteins adopt an elongated dimeric winged-helical DNA binding fold of the general architecture  $\alpha 1 - \alpha 2 - \alpha 3 - \alpha R - \beta 1 - \beta 2 - \alpha 5$  with the dimer interface primarily formed by the  $\alpha 1$  and  $\alpha 5$  helices (Figure 1a).<sup>12</sup> The location of the metal sensing sites provides a further subclassification of ArsR family repressors: a 5 sensors bind the regulatory metal at the dimer interface between the symmetry related C-terminal  $\alpha$ 5 helices, while  $\alpha$ 3,  $\alpha$ 3N and  $\alpha$ 4C sensors harbor regulatory sites from other helices in the molecule.<sup>20,21</sup> CzrA is a  $\alpha 5$  sensor that binds Zn<sup>2+</sup> or Co<sup>2+</sup> in a tetrahedral coordination geometry with Asp84 and His86 from one protomer and His97' and His100' from the opposite protomer providing ligands to the metal ion (Figure 1a).<sup>12</sup>

A quantitative measure of the degree to which a ligand binding induces an allosteric response in a protein is the magnitude of the allosteric coupling free energy,  $\Delta G_c$ .<sup>11</sup>  $\Delta G_c^t$ is related to  $K_c^t$  by eq 1

$$\Delta G_{\rm c}^{\rm t} = -RT \ln K_{\rm c}^{\rm t} \tag{1}$$

which describes the overall (superscript t = total) ligand exchange that is consistent with the coupled equilibrium scheme shown (Figure 1b). For an allosteric activator, ligand (Zn<sup>2+</sup>) binding enhances the affinity of the protein for the other ligand (CzrO in this case) resulting in  $\Delta G_c < 0$  and a corresponding shift in the equilibrium to the doubly liganded and apo states. Alternatively, an allosteric inhibitor reduces the affinity of the protein for the second ligand and  $\Delta G_c > 0$ , thereby shifting the equilibrium to the single-ligated states, i.e., to the left (Figure 1b). This latter case characterizes CzrA since Zn<sup>2+</sup> binding drives dissociation of CzrA from the CzrO resulting in derepression of *czrAB* transcription and zinc detoxification by cytosolic efflux.  $\Delta G_c$  measured from a reduction in the CzrO binding affinity of a single apo CzrA dimer relative to Zn<sub>2</sub> CzrA,

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**Figure 1.** (a) Ribbon diagram of  $Zn_2 CzrA$  with each monomer depicted in *red* and *green* (2KJC). The approximate positions of the C $\alpha$  atoms of the  $\alpha$ 5 metal binding residues, Glu84, His86, His97' and His100' are highlighted on the ribbon in *blue*, and the secondary structural units are indicated on the *green* protomer. The dimer interface is made up primarily of the symmetry related  $\alpha$ 1 and  $\alpha$ 5 helices with the two metal sites bridging the  $\alpha$ 5 helical interface. The DNA binding surface is also indicated and encompasses the entire "bottom" of the molecule in this view from the  $\beta$ -wing tips to the  $\alpha$ 3- $\alpha$ R region through the N-terminal  $\alpha$ 1 helix.<sup>15</sup> (b) General coupling scheme where  $\beta_1$  and  $\beta_2$  are the overall  $Zn^{2+}$  binding affinities for the apo protein and protein–DNA complex, respectively. The allosteric coupling energies, governed by  $K_c^{-1}$ , describe the ligand exchange reaction between the protein–DNA complex and the apoprotein.

i.e. the logarithmic ratio of the vertical equilibria defined by  $K_4$  and  $K_3$  in Figure 1b, is large and positive and on the order of  $\sim 6 \text{ kcal mol}^{-1,13,14}$ 

In previous studies, we investigated the structures and residuespecific dynamics of three of the four allosteric states in this system: P, (apo-CzrA dimer), P•D (CzrA•CzrO), and P•Zn<sub>2</sub> (CzrA•Zn<sub>2</sub>), with only the doubly ligated complex,  $P \bullet Zn_2 \bullet D$  (CzrA $\bullet Zn_2 \bullet CzrO$ ) not yet characterized (Figures 1b and 2).12,15 This work provides the context of the studies reported here and reaches three major conclusions. The first is that the P and P•Zn<sub>2</sub> states differ primarily in their dynamics: Zn<sup>2+</sup> binding to the allosteric sites rigidifies backbone motions over a range of time scales, findings consistent with the idea that Zn<sup>2+</sup> narrows the population distribution of CzrA dimers that collectively have low affinity for DNA. The second finding is that the DNA-bound conformation of CzrA, P•D, differs radically from either the structure of the apo- and Zn<sub>2</sub> states. Third, a comparison of the dynamics "fingerprints" of the DNA-bound vs Zn<sub>2</sub>-bound CzrAs vs a common reference state, apo-CzrA, reveals that the two ligand binding sites appear dynamically linked, that is, CzrO binding induces long-range motional disorder into the allosteric sites, while Zn2+ binding reduces the backbone motions of the DNA binding interface, far from the first coordination shell of the metal.

In this work, we address the degree to which these dynamical and structural differences impact the global thermodynamics



*Figure 2.* Detailed thermodynamic cycle that describes the coupled equilibria considered in this study. CzrA refers to the CzrA homodimer. The *dashedboxed* equilibria were measured directly. Step-wise coupled equilibria that describe the binding of the first and second  $Zn^{2+}$  ion to the CzrA homodimer are indicated by the *yellow* and *green* boxes, respectively. Note that the overall  $Zn^{2+}$  binding affinities,  $\beta_1$  and  $\beta_2$  from Figure 1b, are equal to  $K_1*K_2$  and  $K_5*K_6$ , respectively.

of both homotropic and heterotropic allosteric linkages. If the dynamics quenching observed by NMR<sup>12,15</sup> contributes strongly to the net change in entropy on Zn<sup>2+</sup> binding, we show here that this rigidification occurs largely on filling the second metal site on Zn<sub>1</sub> CzrA. In contrast, global rigidification fails to occur in the P•D complex on Zn<sup>2+</sup> binding, which gives a net positive allosteric coupling entropy,  $\Delta S_c$ . These findings are the first to elucidate the energetics of allosteric metalloregulation for any metal sensor protein, and provide a general thermodynamic framework with which to investigate other metal and oxidative stress sensing repressors, in particular those that are positively activated by inducer recognition.<sup>11,22</sup>

#### Results

Coupled Equilibrium Model. The linked equilibrium scheme that fully describes the degree to which  $Zn^{2+}$  regulates the binding of the apo-CzrA homodimer (CzrA) to the 28-bp CzrO DNA harboring a single 12-2-12 inverted repeat is shown in Figure 2. Previous studies reveal that that apo-CzrA forms a high affinity 1:1 dimer–DNA complex on this DNA.<sup>15</sup> The CzrA monomer-dimer equilibrium is not explicitly indicated in this model; however, under solution conditions used to measure  $Zn^{2+}$  binding equilibria (50–100  $\mu$ M CzrA monomer, pH 7.0), apo-CzrA is greater than 95% dimeric.<sup>23</sup> The strategy used here was to resolve as many  $K_i$  as possible using isothermal titration calorimetry (ITC) which, in turn, permits a determination of all of the relevant linkage relationships in this system. The overall coupled equilibrium constant, defined by  $K_c^{t}$ , is dictated by the equilibrium shown in Figures 1b and 2, with the overall heterotropic coupling energies,  $\Delta G_c^{t}$ ,  $\Delta H_c^{t}$ , and  $\Delta S_c^{t}$ , thermodynamic state functions defined by eqs 24:

$$\Delta G_{\rm c}^{\rm t} = -RT \ln(K_5 K_6 / K_1 K_2) = -RT \ln(K_4 / K_3)$$
(2)

$$\Delta H_{\rm c}^{\rm t} = (\Delta H_5 + \Delta H_6) - (\Delta H_1 + \Delta H_2) = \Delta H_4 - \Delta H_3$$
(3)

$$\Delta S_{\rm c}^{\rm t} = (\Delta S_5 + \Delta S_6) - (\Delta S_1 + \Delta S_2) = \Delta S_4 - \Delta S_3 \tag{4}$$

The coupled equilibrium shown can also be divided into two stepwise coupled equilibria which define the successive binding of the first (Zn<sub>1</sub>) and second (Zn<sub>2</sub>) ions to the dimer relative to the apo-CzrA and Zn<sub>1</sub>-CzrA reference states, respectively (enclosed by the *yellow* and *green* boxes, respectively, Figure 2). Analogous stepwise heterotropic coupling energies,  $\Delta G_c^i$ ,  $\Delta H_c^i$  and  $\Delta S_c^i$  (where i = 1 or 2) are then defined by eqs 510

$$\Delta G_{\rm c}^1 = -RT \ln(K_5/K_1) = -RT \ln(K_7/K_3) \tag{5}$$

$$\Delta H_{\rm c}^{\rm I} = \Delta H_5 - \Delta H_1 = \Delta H_7 - \Delta H_3 \tag{6}$$

$$\Delta S_{\rm c}^{\rm I} = \Delta S_5 - \Delta S_1 = \Delta S_7 - \Delta S_3 \tag{7}$$

$$\Delta G_{\rm c}^2 = -RT \ln(K_6/K_2) = -RT \ln(K_4/K_7) \tag{8}$$

$$\Delta H_{\rm c}^2 = \Delta H_6 - \Delta H_2 = \Delta H_4 - \Delta H_7 \tag{9}$$

$$\Delta S_{\rm c}^2 = \Delta S_6 - \Delta S_2 = \Delta S_4 - \Delta S_7 \tag{10}$$

with the sum of the stepwise coupling energies equal to the total coupling energies. In previous work, estimates of  $\Delta G_c^{t}$  were determined from fluorescence polarization experiments of  $K_3$  and  $K_4$  (i.e., the *vertical* equilibria) according to eq 2 and ranged from 5.5 to 6.3 kcal mol<sup>-1</sup>.<sup>13,14</sup> In this work, we use ITC to measure stepwise metal binding to CzrA vs the CzrA•CzrO complex in order to investigate in detail the energetics of metal binding as defined by the two *horizontal* equilibria ( $K_1, K_2, K_5$ , and  $K_6$ ) as well as CzrA binding to the CzrO ( $K_3$ ); these data are then used to extract  $\Delta G_c^{t}, \Delta H_c^{t}$ , and  $\Delta S_c^{t}$ .

**Zn**<sup>2+</sup> **Binding to the apo-CzrA Homodimer.** It has previously been reported that the CzrA dimer binds two equivalents of Zn<sup>2+</sup> per homodimer with stepwise affinities for the first and second Zn<sup>2+</sup> ions of ~10<sup>12</sup> and ~10<sup>10</sup> M<sup>-1</sup>, respectively.<sup>12-14</sup> As expected from these  $K_i$ , a direct titration of Zn<sup>2+</sup> into the CzrA homodimer resulted in a step function at n = 2; this result was further complicated by visible precipitation at these CzrA concentrations (100  $\mu$ M monomer; ≥99% dimer<sup>23</sup>), likely due to adventitious metal binding to surface sites (data not shown). We therefore implemented competition experiments using nitrilotriacetic acid (NTA) ( $K_{Zn-NTA} = 4.57 \times 10^{10}$  M<sup>-1</sup> and  $\beta_2 = 1.74 \times 10^{14}$  M<sup>-2</sup>) to bring the observed binding constants within a measurable range as well as inhibit adventitious metal binding. Figure 3 shows a representative titration of 1.17 mM Zn<sup>2+</sup> into 38  $\mu$ M CzrA dimer in 50 mM Hepes, 400 mM NaCl,

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**Figure 3.** Titration of 1.17 mM Zn<sup>2+</sup> into 38  $\mu$ M apo-CzrA dimer in 50 mM Hepes, 400 mM NaCl pH 7.0, 3.0 mM NTA, and 25.0 °C. The top panel shows the raw data plotted as power vs time and the bottom panel is the integrated, concentration normalized ITC data. The continuous line indicates that best fit according to a two-site sequential binding model. Average best fits from multiple titrations are compiled in Table 1.

and 3 mM NTA at 25.0 °C. Although significantly far from ideal conditions, the high monovalent salt concentration was necessary to maintain identical solution conditions used in previous studies<sup>13,14</sup> and other calorimetric experiments that follow (see below). These data were fit to both two-site sequential binding and two independent site models (Figure S1, Supporting Information); the average uncorrected best fit parameters from multiple experiments are compiled in Table 1 and Table S1 (Supporting Information). Although the values for these two fitting models converge, the sequential model more accurately describes the chemical system (i.e., the two binding sites are not independent) and the values determined from this model were used. Under these conditions, the uncorrected  $K_1$  $\approx 20^{*}K_{2}$  and, as suggested by the raw data, the second binding event is characterized by a significantly larger binding enthalpy than the first  $(-6 \text{ kcal mol}^{-1} \text{ vs } -3 \text{ kcal mol}^{-1})$  (Table 1).

Corrections of the  $Zn^{2+}$ -Binding Equilibria for Proton Displacement and NTA Competition. ITC is a bulk thermodynamic method that measures the global heat of a reaction. In the case of metal-protein interactions, the displacement of protons from protein ligands upon metal binding and subsequent protonation of the buffer can contribute significantly to the observed enthalpy from eq 11.

$$\operatorname{Zn}^{2+} + \operatorname{H}_{n}^{+} \operatorname{CzrA} + n\operatorname{Buffer} \rightleftharpoons \operatorname{Zn} \cdot \operatorname{CzrA}^{2+} + n\operatorname{H-Buffer}^{+}$$
 (11)

Since the goal of this study is to determine the global thermodynamics of the interaction of metals with protein not complicated by other chemical equilibria, the heat of protonbuffer interaction must be removed from the thermodynamic cycle to generate the desired eq 12.

$$\operatorname{Zn}^{2+} + \operatorname{H}^{+}_{N}\operatorname{Czr} A \rightleftharpoons \operatorname{Zn} \cdot \operatorname{Czr} A^{2+} + N_{H} \operatorname{H}^{+}$$
(12)

An accurate subtraction of the net buffer protonation enthalpy is dependent on the number of protons displaced ( $N_H$ ). To determine this value, titrations of Zn<sup>2+</sup> into apo-CzrA were conducted under identical solution conditions except the buffer was changed to ACES, Mops or Bis-Tris to vary the buffer ionization enthalpy ( $\Delta H_{buff}$ ). The overall equilibrium is then described by eq 13:

$$Zn(NTA) + H_n^+CzrA + (n - y)Buffer \rightleftharpoons Zn \bullet CzrA^{2+} + HyNTA + (n - y)H-Buffer$$
(13)

Control titrations of Zn<sup>2+</sup> into NTA under identical conditions (Table S2, Supporting Information) provide the relevant background heats generated by NTA protonation upon metal transfer to CzrA. After correction for NTA-buffer interactions (see Materials and Methods), the observed calorimetric enthalpies,  $\Delta H_{cal}$ , are plotted vs buffer ionization enthalpies according to the linear relationship

$$\Delta H_{\rm cal} = N_H \Delta H_{\rm buff} + \Delta H_{\rm int} \tag{14}$$

where  $N_H$  is the number of protons displaced and  $\Delta H_{int}$  is the intrinsic heat associated with Zn<sup>2+</sup> binding to CzrA under these condition (i.e., eq 12).

NTA-corrected  $K_i$  for  $Zn^{2+}$  binding to the CzrA homodimer (pH 7.0, 25.0 °C) are  $K_1 = 1.2 \times 10^{12} \text{ M}^{-1}$  and  $K_2 = 6.0 \times$  $10^{10}$  M<sup>-1</sup> at pH 7.0 (Table 2). Each of these values agree well with the spectroscopically determined values of  $2.5 \times 10^{12} \, \text{M}^{-1}$ and  $3.4 \times 10^{10} \text{ M}^{-1.13}$  Figure 4 shows the linear dependence of the  $\Delta H_{cal}$  on  $\Delta H_{H-Buff}$  after correction for competition by NTA. The best fits to these data result in  $N_H \approx 1.0$  for the binding of each Zn<sup>2+</sup> ion, revealing on average, two net protons or 1 per site, released on formation of the Zn2-CzrA homodimer complex. The resulting values of  $\Delta H_{int}$  for the first and second  $Zn^{2+}$  binding events,  $\Delta H_1$  and  $\Delta H_2$ , are  $\sim 0$  and -2.9 kcal mol<sup>-1</sup>, respectively, revealing greater enthalpic driving force for the second Zn<sup>2+</sup> binding as compared to the first. However, Zn<sup>2+</sup> binding to the dimer is most strongly favored entropically, and far more so for the first relative to the second  $Zn^{2+}$  (Table 2;  $-T\Delta S_1 = -16.6$  kcal mol<sup>-1</sup> K<sup>-1</sup> and  $-T\Delta S_2 = -11.9$  kcal  $mol^{-1} K^{-1}$ ; this gives rise to a homotropic coupling free energy of  $\approx +1.8$  kcal mol<sup>-1</sup> (Table 3).

Temperature Dependence of  $\mathbf{Zn}^{2+}$  Binding to the apo-CzrA Homodimer. A large change in the molar heat capacity upon ligand binding,  $\Delta C_p$ , are often indicative of a structural rearrangement due to the hydrophobic effect.<sup>24</sup> To determine  $\Delta C_p$ ,  $\Delta H_1$  and  $\Delta H_2$  were measured by ITC by conducting identical titrations (50 mM Hepes, 400 mM NaCl and pH 7.0) of Zn<sup>2+</sup> into CzrA at 15, 25 and 35 °C. These data were all fit to the same two-site sequential model (Table 1) and the NTA- and buffer ionization enthalpy-independent values were calculated (Table S3, Supporting Information). Plots of  $\Delta H_i$  vs temperature are linear and give  $\Delta C_p^{-1} = -230 \pm 10$  cal mol<sup>-1</sup> K<sup>-1</sup> and  $\Delta C_p^{-2} = -110 \pm 10$  cal mol<sup>-1</sup> K<sup>-1</sup> (Figure 5).

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Table 1.	Uncorrected	Thermodynamic	Parameters D	Derived from	Direct A	nalysis of	f Isothermal	Titration	Calorimetry (	(ITC)	Experiments <sup>a</sup>	
		-				-			-			

buffer	<i>T</i> (°C)	<i>n</i> <sub>1</sub>	$K_{1}$ ( $ imes$ 10 <sup>6</sup> M <sup>-1</sup> )	$\Delta H_1$ (kcal mol <sup>-1</sup> )	n <sub>2</sub>	$\textit{K}_{2}$ ( $\times~10^{6}~\textrm{M}^{-1}\textrm{)}$	$\Delta H_2$ (kcal mol <sup>-1</sup> )
$Zn \rightarrow apo-CzrA (3 \text{ mM NTA})$							
HEPES	15	N/A	$11.6 \pm 0.5$	$-0.2 \pm 0.3$	N/A	$0.93\pm0.04$	$-4.8\pm0.2$
HEPES	25	N/A	$75 \pm 9$	$-3.00\pm0.08$	N/A	$4.7 \pm 0.6$	$-6.0 \pm 0.3$
HEPES	35	N/A	$9 \pm 1$	$-5.08 \pm 0.07$	N/A	$0.7 \pm 0.1$	$-7.4 \pm 0.2$
<b>Bis-Tris</b>	25	N/A	$22 \pm 11$	$-4.02 \pm 0.07$	N/A	$1.1 \pm 0.2$	$-6.98 \pm 0.05$
ACES	25	N/A	$85 \pm 50$	$-3.7 \pm 0.2$	N/A	$4.3 \pm 0.9$	$-6.8 \pm 0.2$
Mops	25	N/A	$26 \pm 7$	$-2.08\pm0.09$	N/A	$1.4 \pm 0.1$	$-5.9 \pm 0.1$
$Zn \rightarrow CzrA$ •	CzrO (10 mM	A Imidazole)					
HEPES	25	$0.8 \pm 0.1$	$2000\pm2000$	$-5.3 \pm 0.3$	$1.2 \pm 0.2$	$200 \pm 300$	$-0.7 \pm 0.1$
<b>Bis-Tris</b>	25	$0.8 \pm 0.2$	$7000 \pm 4000$	$-5.3 \pm 0.1$	$1.2 \pm 0.1$	$200 \pm 100$	$0.40 \pm 0.04$
ACES	25	$0.8 \pm 0.2$	$5000 \pm 3000$	$-7 \pm 1$	$1.2 \pm 0.2$	$100 \pm 200$	$1.5 \pm 0.8$
Mops	25	$0.8 \pm 0.2$	$1000\pm2000$	$-6.1\pm0.5$	$1.2\pm0.2$	$80 \pm 90$	$-1.0 \pm 0.2$
$CzrA \rightarrow Czr$	0						
HEPES	25	N/A	$200\pm100$	$-7.4 \pm 0.2$	N/A	$1.2\pm0.8$	$-2.3\pm0.1$

<sup>*a*</sup> Solution conditions: 50 mM indicated buffer, 400 mM NaCl, pH 7.0 at the indicated temperature. The chemical model used to fit the data is indicated in the text and  $K_1$  and  $K_2$  are generic designations for the first and second steps of a two-site reaction model. These refer to individual  $K_i$  as shown in Table 2.

Table 2. Buffer-Independent Thermodynamic Parameters for the Indicated Equilibria at pH 7.0, 25.0 °C<sup>a</sup>

T (°C)	$K_{1}{}^{b}$ ( $\times 10^{11} \text{ M}^{-1}$ )	$\Delta H_1$ (kcal mol <sup>-1</sup> )	$-T\Delta S_1$ (kcal mol <sup>-1</sup> )	$K_{2}^{b}$ ( $\times$ 10 <sup>11</sup> M <sup>-1</sup> )	$\Delta H_2$ (kcal mol <sup>-1</sup> )	$-T\Delta S_2$ (kcal mol <sup>-1</sup> )			
$Zn \rightarrow apc$	$Zn \rightarrow apo-CzrA$								
1	$K_1$	$\Delta H_1$	$-T\Delta S_1$	$K_2$	$\Delta H_1$	$-T\Delta S_2$			
25.0	$12 \pm 2$	$0.06 \pm 0.2$	$-16.6\pm0.8$	$0.6 \pm 0.1$	$-2.9\pm0.2$	$-11.9\pm0.7$			
$Zn \rightarrow Czn$	rA•CzrO								
	$K_5$	$\Delta H_5$	$-T\Delta S_5$	$K_6$	$\Delta H_6$	$-T\Delta S_6$			
25.0	$0.04\pm0.02$	$2.9 \pm 0.3$	$-16.1 \pm 0.8$	$0.005\pm0.003$	$3.6 \pm 0.1$	$-15.5\pm0.9$			
$CzrA \rightarrow CzrO$									
	$K_3$	$\Delta H_3$	$-T\Delta S_3$	$K_{3a}$	$\Delta H_{3a}$	$-T\Delta S_{3a}$			
25.0	$1.3 \pm 0.9$	$-7.4 \pm 0.2$	$-7.8\pm0.4$	$0.0062 \pm 0.0005$	$-2.3\pm0.1$	$-2.3\pm0.1$			

<sup>*a*</sup> Solution conditions: 50 mM Hepes, 0.4 M NaCl, pH 7.0, 25.0 °C. <sup>*b*</sup>  $K_1$  and  $K_2$  refer to generic stepwise equilibrium constants for the reactions indicated and correspond to the actual  $K_i$  (see Figure 2),  $\Delta H_i$  and  $-T\Delta S_i$  shown. Uncertainties shown reflect a propagation of the standard errors from multiple titrations as well as ~30% relative error associated with the number of protons released (see Figure 4) which propagates through  $\Delta H_i$  and  $-T\Delta S_i$ .



 Table 3.
 Homotropic and Heterotropic Coupling Energies

 Determined by ITC
 ITC

Coupling Energies (kcal mol <sup>-1</sup> )						
	$\Delta (\Delta G)^a$ (25.0 °C)	$\Delta(\Delta H)$	$\Delta(-T\Delta S)$			
Homotropic <sup>b</sup> CzrA CzrA•CzrO	$1.8 \pm 0.7$ $1.3 \pm 0.9$	$-2.9 \pm 0.3$ $0.7 \pm 0.3$	$\begin{array}{c} 4.7\pm0.9\\ 0.6\pm0.7\end{array}$			
Heterotropic <sup>c</sup>						
Zn <sub>1</sub>	$\Delta G_{\rm c}^{-1}$ $3.4 \pm 0.6$ $\Delta G_{\rm c}^{-2}$	$\Delta H_c^1$ $2.9 \pm 0.4$ $\Delta H_c^2$	$-T\Delta S_{c}^{1}$ 0.5 ± 1 $-T\Delta S_{c}^{2}$			
Zn <sub>2</sub>	$2.9 \pm 0.2$	$6.5 \pm 0.3$	$-3.6 \pm 1$			
Total	$\frac{\Delta G_{\rm c}}{6.3 \pm 0.7}$	$\frac{\Delta H_{\rm c}^{\rm t}}{9.4 \pm 0.5}$	$-T\Delta S_{\rm c}^{\rm t}$ $-3.1\pm1$			

 ${}^{a}\Delta(\Delta G) = \Delta(\Delta H) + \Delta(-T\Delta S). {}^{b}$  The homotropic coupling energies reflect the negatively cooperative  $Zn^{2+}$  binding to either apo CzrA complex ( $\Delta H_2 - \Delta H_1$ ;  $-T\Delta S_2 - (-T\Delta S_1)$  from Table 2 or the CzrA•CzrO ( $\Delta H_6 - \Delta H_5$ ;  $-T\Delta S_6 - (-T\Delta S_5)$  from Table 2).  ${}^{c}$  Heterotropic coupling energies describe the effect of  $Zn^{2+}$  on CzrA binding to CzrO DNA as a result of filling one metal site on the dimer, relative to the first (Zn<sub>2</sub>) (green box, Figure 2; eq 8–10) or the cumulative effect of filling on both metal sites relative the reference apo-CzrA homodimer state (Figure 2b; eq 2–4).

as a function of buffer ionization energy,  $\Delta H_{\text{H-Buffer}}$ . The slope of the linear relationship is the net number of protons displaced. The binding of the first  $\text{Zn}^{2+}$  (Zn<sub>1</sub>) and second  $\text{Zn}^{2+}$  (Zn<sub>2</sub>) ions to the apo CzrA dimer (represented by closed and open squares, respectively) displace  $0.9 \pm 0.1$  and  $1.0 \pm 0.2$  H<sup>+</sup>, respectively. The analogous binding of Zn<sup>2+</sup> to the CzrA•CzrO complex (closed and open triangles, respectively) displaces  $1.4 \pm 0.1$  and  $0.64 \pm 0.07$  H<sup>+</sup>, respectively.

Although the crystallographic structure of apo-CzrA does not markedly differ from that of Zn<sub>2</sub> CzrA,<sup>12</sup> the magnitude of  $\Delta C_p^{i}$ 

calorimetric enthalpy (corrected for interaction with NTA),  $\Delta H_{corr}$ , plotted

suggests that metal binding may induce a modest change in structure (*vida infra*), a finding consistent with the fact that  ${}^{1}\text{H}{-}{}^{15}\text{N}$  HSQC spectra of apo- and Zn<sub>2</sub>-CzrA are readily distinguished from one another in solution.<sup>14,25</sup> However, a high resolution solution structure of apo-CzrA remains unavailable.



**Figure 5.** Temperature-dependence of the  $\Delta H$  for the binding of  $Zn^{2+}$  to the CzrA homodimer.  $\blacksquare$ , binding of the first  $Zn^{2+}$  (Zn<sub>1</sub>);  $\square$ , binding of the second  $Zn^{2+}$  (Zn<sub>2</sub>). The *black* continuous lines are linear fits that define the slope  $\Delta C_p = d\Delta H/dT$ .  $\Delta C_p^{-1} (Zn_1) = -230 \pm 10$  cal mol<sup>-1</sup> K<sup>-1</sup>;  $\Delta C_p^{-2} (Zn_2) = -110 \pm 10$  cal mol<sup>-1</sup> K<sup>-1</sup>.

CzrA Dimer Binding to the CzrO DNA. ITC titrations were next carried out to investigate the thermodynamics of the binding of the CzrA homodimer to 28-bp DNA operator, CzrO (blue dashed box, Figure 2). Previous studies with longer DNA duplexes containing a single core TGAAxxxxxTTCA sequence with a 12-2-12 inverted repeat (41 and 56 bps) revealed the presence of multiple additional lower affinity binding sites even at 0.4 M NaCl.<sup>13,14,23</sup> However, recent spectroscopic studies reveal that a 28-bp duplex contains all of the information required to form a high affinity complex,<sup>15</sup> and this DNA was used for all thermodynamic experiments. Figure 6 shows a representative titration of 500  $\mu$ M CzrA homodimer into 10  $\mu$ M CzrO under solution conditions identical to those used previously (50 mM Hepes, 400 mM NaCl, pH 7.0 and 25.0 °C).<sup>13</sup> Unexpectedly, we observe two binding events that can be fit to a two-site sequential model defined by a high affinity site ( $K_1$  $= 2 \times 10^8 \text{ M}^{-1}, \ \Delta H_1 = -7.4 \pm 0.2 \text{ kcal mol}^{-1}$ ) at the stoichiometric equivalence point and a lower affinity site ( $K_2$  $= 1.2 \times 10^{6} \text{ M}^{-1}, \Delta H_{2} = -2.3 \pm 0.4 \text{ kcal mol}^{-1}$  corresponding to the weaker binding of a second CzrA dimer to the duplex (Table 1). Note that  $K_1$  and  $K_2$  correspond to  $K_3$  and  $K_{3a}$  in Figure 2.

At the protein concentrations used in this titration, particularly during the initial injections in which the total CzrA concentration is <10  $\mu$ M, the CzrA monomer–dimer equilibrium ( $K_{dimer} =$  $1.7 \times 10^5 \text{ M}^{-1}$ )<sup>23</sup> is linked to that of the dimer-CzrO binding equilibrium, i.e., non-negligible CzrA monomer is present under these conditions. If not explicitly considered, this would underestimate the true value of the CzrA dimer binding affinity. To model this, we used DynaFit<sup>26</sup> to simulate a titration of apo-CzrA into CzrO using identical macromolecule concentrations and  $K_i$  values determined by ITC. This simulated curve was then fit to a binding model that incorporates  $K_{dimer}$  (Figure S2, Supporting Information) and  $K_1$  ( $K_3$  in Figure 2) and  $K_2$  ( $K_{3a}$ ) were determined to be  $1.3 \times 10^{11} \text{ M}^{-1}$  and  $6.2 \times 10^8 \text{ M}^{-1}$ , respectively. Both are in good agreement with spectroscopically



**Figure 6.** Titration of 500  $\mu$ M apo-CzrA dimer into 10  $\mu$ M CzrO in 50 mM Hepes, 400 mM NaCl pH 7.0 and 25 °C. The top panel shows the raw data plotted as power vs time and the bottom panel is the integrated, concentration normalized ITC data. The black continuous line indicates that best fit according to a sequential binding model. Average uncorrected best fitted parameters are summarized in Table 1.

determined values of  $\approx 4 \times 10^{10}$  M<sup>-1</sup> and  $1 \times 10^9$  M<sup>-1</sup>, respectively.<sup>13,15</sup> All heat generated from a shift in the monomer–dimer equilibrium that occurs upon injection of a concentrated solution of apo-CzrA into the much more dilute reaction cell should be canceled by the reformation of the dimer upon binding to CzrO; as a result, no correction of the  $\Delta H$  term is necessary.

**Zn**<sup>2+</sup> **Binding to the apo-CzrA•CzrO Complex.** To determine the overall coupling energetics (eqs 2–4), we next determined  $K_5$  and  $K_6$  (Figure 2), the stepwise affinities of a preformed apo-CzrA dimer•CzrO complex for Zn<sup>2+</sup>. A representative titration of 1.15 mM Zn<sup>2+</sup> into a 28  $\mu$ M CzrA dimer•CzrO complex (32  $\mu$ M CzrO was used to ensure a 1:1 dimer−DNA complex) is shown in Figure 7. This experiment was performed in the presence of 10 mM imidazole to inhibit complex precipitation as a result of adventitious metal binding, an ideal choice given that it provides a very weak competition at this concentration and pH. A correction factor of 2.3 was determined by conducting Zn<sup>2+</sup> → NTA titrations in the presence and absence of imidazole (Table S2, Supporting Information), in good agreement with the calculated value of ~6 for Zn<sup>2+</sup>−imidazole interactions under these conditions.

<sup>(25)</sup> Arunkumar, A. I.; Pennella, M. A.; Kong, X.; Giedroc, D. P. *Biomol. NMR Assign.* **2007**, *1*, 99–101.

<sup>(26)</sup> Kuzmic, P. Anal. Biochem. 1996, 237, 260-273.



**Figure 7.** Titration of 1.15 mM Zn<sup>2+</sup> into 28  $\mu$ M CzrA•CzrO complex with a 10% excess of CzrO in 50 mM Hepes, 400 mM NaCl, 10 mM imidazole, pH 7.0, and 25.0 °C. The top panel shows the raw data plotted as power vs time and the bottom panel is the integrated, concentration normalized ITC data. The *black continuous* line indicates the best fit to the according to a two-site binding model. Average uncorrected best fitted parameters are summarized in Table 1.

As found for the titrations of Zn<sup>2+</sup>into apo-CzrA, these data, as expected, show two clear binding events, with a major inflection occurring at n = 2 (Figure 7). A sequential two site model fails to generate a reasonable fit to the data (Figure S1b and Table S2, Supporting Information). A two-site model in which the stoichiometry  $(n_i)$  of the two steps was allowed to vary gives  $n_1 \approx 0.8$  and  $n_2 \approx 1.2$ , with the cumulative stoichiometry,  $n_1 + n_2$ , the expected value of 2. This reveals 100% occupancy of that both metal sites on the complex at the end of the titration. Although close to the expected values of  $n_1$ =  $n_2 \approx 1.0$ , fits constrained by  $n_1 = n_2 \approx 1.0$  resulted in statistically poorer fits to the data (Figure S1, Supporting Information). One possible explanation of the noninteger stoichiometry ultimately ruled out is that the kinetics of the first metal binding event are slow and this isotherm reflects a nonequilibrium titration. However, a titration with a longer interval between injections (10 min) showed no significant difference in the binding profile (data not shown). A very similar binding profile was also obtained when the concentration of CzrA-CzrO complex was nearly doubled (Figure S3, Supporting Information), thus revealing that small amounts of unbound Zn<sub>2</sub>-CzrA are not present in these mixtures at the end of the titration, and thus cannot influence the shape of the isotherm or the measured stoichiometries. This was further confirmed by a gel filtration experiment, in which a post-titration ITC sample was subjected to chromatography. This sample revealed comigration of the CzrA•CzrO complex with 1.9 mol dimer•equiv  $Zn^{2+}$  (measured by atomic absorption as described in material and methods) and no detectable dissociated  $Zn_2$  CzrA in this sample (Figure S4, Supporting Information). Table 1 summarizes the average best fit uncorrected thermodynamic parameters for these data.

To complete the thermodynamic analysis of Zn<sup>2+</sup> binding to the CzrA•CzrO complex, it was next necessary to determine the number of protons displaced upon metal binding to the complex. Additional titrations of Zn<sup>2+</sup> into preformed CzrA•CzrO complexes were carried out in Mops, ACES and Bis-Tris under otherwise identical conditions (Table S3, Supporting Information). Figure 4 again shows a linear dependence of  $\Delta H_{cal}$  on  $\Delta H_{\text{H-Buff}}$  with best fits of  $N_{HI} = 1.4 \pm 0.1$  and  $N_{HI} = 0.64 \pm$ 0.07 for each of the two  $Zn^{2+}$  ions, with a net proton displacement of  $\sim 2$ , identical to that measured for the binding of Zn<sup>2+</sup> to the unbound apo-CzrA dimer. Table 2 shows the corrected Zn<sup>2+</sup> binding thermodynamic parameters. Strikingly, Zn<sup>2+</sup> binding to CzrA•CzrO complex is characterized by small endothermic enthalpies ( $\Delta H_5 \approx \Delta H_6 \approx 3.0 \text{ kcal mol}^{-1}$ ) superimposed on a strong entropic driving force at each step  $(-T\Delta S_5 = -16.1 \text{ kcal mol}^{-1} \text{ K}^{-1} \text{ and } -T\Delta S_6 = -15 \text{ kcal}$  $mol^{-1} K^{-1}$ ) (Table 2).

**Coupling Energies.** As pointed out above, the linked equilibrium scheme (Figures 1b and 2) is governed by three overall heterotropic coupling energies,  $\Delta G_c^{t}$ ,  $\Delta H_c^{t}$  and  $\Delta S_c^{t}$  defined by eqs 2–4 which collectively characterize the equilibrium shown in eq 15:

$$(Zn^{2+})_2 CzrA + CzrA \bullet CzrO \rightleftharpoons (Zn^{2+})_2 CzrA \bullet CzrO + CzrA$$
(15)

As for any free energy cycle of this kind, coupling energies can be taken from the difference between the DNA binding energies of  $Zn_2 \cdot CzrA(K_4)$  relative to apo  $CzrA(K_3)$ ; the *vertical* equilibria; Figure 1a, Figure 2) or the  $Zn^{2+}$  binding energies of  $CzrA \cdot CzrO$  complex (defined by  $K_5$  and  $K_6$ ) relative to the apo-CzrA (defined by  $K_1$  and  $K_2$ ; the *horizontal* equilibria). Since we have all of the thermodynamic information required for the coupling analysis using the horizontal equilibria, this approach was used here. Analogous expressions (eqs 5–10) are given for the two stepwise binding energetics ( $Zn_1$  and  $Zn_2$ ) which must sum to the total values.

Table 3 summarizes the average stepwise ( $Zn_1$  and  $Zn_2$ ) and net heterotropic thermodynamic coupling energies and these are shown graphically in Figure 8. The overall coupling free energy,  $\Delta G_c^{t}$ , is 6.3 kcal mol<sup>-1</sup>, a value consistent with allosteric negative regulation of CzrO binding by Zn<sup>2+</sup> and in excellent agreement with previously determined values measured from the *vertical* equilibria in Figure 2b.<sup>13,14</sup> The enthalpic component of the coupling energy,  $\Delta H_c^{t} = 9.4 \text{ kcal mol}^{-1}$ , is of the same sign as  $\Delta G_{c}^{t}$  and compensates for an opposing entropic component,  $-T\Delta S_c^{t} = -3.0 \text{ kcal mol}^{-1}$ , that is,  $\Delta S_c^{t}$  is *positive*. Each Zn<sup>2+</sup> ion contributes nearly equally ( $\Delta G_c^1 = \Delta G_c^2 \approx 3$ kcal  $mol^{-1}$ ) to the net coupling free energy, but the underlying energetics are dramatically different. Formation of the Zn<sub>1</sub> complex is characterized by a smaller enthalpic coupling component relative to formation of the Zn<sub>2</sub> complex from the Zn<sub>1</sub> state,  $\Delta H_c^1 = 2.9 \pm 0.4$  kcal mol<sup>-1</sup> compared to  $\Delta H_c^2 =$  $6.5 \pm 0.3$  kcal mol<sup>-1</sup>, a difference of which is largely offset by



**Figure 8.** Graphical representation of the net and stepwise heterotropic coupling energies for CzrA where  $\Delta G_c^{i}$  is shown in *black bars*,  $\Delta H_c^{i}$  is in *open bars* and  $-T\Delta S_c^{i}$  is *stippled bars*. *i* is 1, 2, or *t* and refers to the heterotropic coupling parameters obtained for the binding of the first Zn<sup>2+</sup> ion to the CzrA homodimer (*i* = 1), the second metal site on the dimer relative to the Zn<sub>1</sub> reference state (*i* = 2), and the cumulative effect of filling the both sites relative to the apo-CzrA reference state (*i* = *t*). See Figure 2 for coupled equilibrium and Table 3 for parameters.

a *positive*  $\Delta S_c$  associated with filling the second site with metal, that is,  $-T\Delta S_c^2 \approx -T\Delta S_c^t$ , since  $-T\Delta S_c^1 \approx 0$  (Figure 8).

Zn<sup>2+</sup> binding to both the apo-CzrA homodimer and the apo-CzrA dimer•CzrO complex is characterized by negative homotropic cooperativity in both cases, that is,  $K_1 > K_2$  and  $K_5 > K_6$ (Figure 2) and  $\Delta(\Delta G) > 0 \approx 1.8$  and 1.3 kcal mol<sup>-1</sup>, respectively (Table 3). In both cases, negative homotropic allostery is entropically driven,  $\Delta(-T\Delta S) > \Delta(\Delta H)$ , but far more so for the binding of Zn<sup>2+</sup> to the free apoprotein relative to the protein–DNA complex (Table 3).

#### Discussion

In this study, we have employed equilibrium isothermal titration calorimetry to measure the thermodynamic underpinnings of allosteric negative regulation of specific CzrO binding by the zinc-sensing homodimeric repressor, CzrA. These global thermodynamics are discussed in the context of known structural and dynamics studies of the four allosteric end-states, apo CzrA apo-CzrA•CzrO  $(P \bullet D), Zn_2CzrA (P \bullet Zn_2)$ and (P), Zn<sub>2</sub>CzrA•CzrO (P•Zn<sub>2</sub>•D) (Figures 1–2).<sup>12,15</sup> We first focus our discussion on the two horizontal Zn<sup>2+</sup> binding equilibria individually (Figure 2), and then discuss the stepwise homotropic and heterotropic coupling energies derived from this analysis and point out the essentiality of both entropic and enthalpic components to zinc sensing by CzrA.

**Entropy-Driven Zinc Binding to CzrA.** All Zn<sup>2+</sup> binding equilibria ( $K_1$ ,  $K_2$ ,  $K_5$ ,  $K_6$ ) are dominated by a large global entropic component (Table 2). These observations are consistent with previously reported investigations of Zn<sup>2+</sup> binding to other biological macromolecules, after correction to pH 7.0 and subtracting the effects of competing equilibria. For example, the binding of Zn<sup>2+</sup> to the peripheral site of *K. aerogenes* UreE, the metallochaperone responsible for loading Ni<sup>2+</sup> into urease, is characterized by  $\Delta G = -12.2$  kcal mol<sup>-1</sup> and  $-T\Delta S = -8.3$  kcal mol<sup>-1.27</sup> Zn<sup>2+</sup> binding to a histidine-rich decapeptide (PHGHGHGHGP, called IRTpep) occurs with  $\Delta G = -9.4$  kcal mol<sup>-1</sup> and a  $-T\Delta S = -11.0$  kcal mol<sup>-1</sup>, that compensates for the endothermic enthalpy change.<sup>28</sup>

Four typical contributors to the entropy term in transition metal complex formation are (1) formation of metal coordination bonds, (2) displacement of water molecules from the solvated metal ion, (3) displacement of the solvation shell surrounding the ligand (or protein), and (4) imposed conformational restraints.<sup>28</sup> Since the net number of protons displaced upon Zn<sup>2+</sup> association is  $\sim$ 1 at pH 7.0 and four coordination bonds are formed in each case (for UreE, 2 His and 2 buffer molecules make the four-coordinate complex), the net solvent rearrangement around the  $Zn^{2+}$  and  $H^+$  release are similar in each system; as a result, the net contribution of components (1) and (2) listed above should be reasonably similar in all three systems. IRTpep is an unstructured peptide in the absence of metal, and in this regard differs most strongly from CzrA. IRTpep clearly loses significant conformational flexibility upon metal binding relative to apo-CzrA, since at least three of the four coordinating residues in CzrA (D84, H86, and H97'; H100' may well fold in on metal binding)<sup>12</sup> form a comparatively preformed ligand binding site. This predicts that the net entropy term,  $-T\Delta S$ , will be less negative for IRTpep than for CzrA, which is exactly what we find (Table 2). Therefore, one likely origin of the additional entropic driving force in the binding of Zn<sup>2+</sup> to apo-CzrA relative to IRTpep derives from component (4), a difference in conformational restraints imposed upon metal binding.

Homotropic Allostery. Zn<sup>2+</sup> binding to the apo-CzrA homodimer is characterized by an entropically favored ( $\Delta(-T\Delta S)$ ) = 4.7 kcal mol<sup>-1</sup>) negative cooperativity,  $\Delta(\Delta G) = 1.8$ kcal mol<sup>-1</sup> that is enthalpically opposed ( $\Delta(\Delta H) = -2.9$  kcal mol<sup>-1</sup> (Table 3). The negative cooperativity and underlying energetics bear striking parallels to the binding of two cAMPs to the N-terminal regulatory domain dimer of E. coli CAP (catabolite activator protein) where  $\Delta H_2$  was found to be more negative than  $\Delta H_1$  by 1.1 kcal mol<sup>-1</sup>, with  $-T\Delta S_2$  less negative than  $-T\Delta S_1$  by ~4 kcal mol<sup>-1,3</sup> In the cAMP-CAP system,  $\Delta(\Delta G) = 2.8 \text{ kcal mol}^{-1}$ , or nearly twice that of  $\text{Zn}^{2+}$  binding to CzrA (Table 3), and this homotropic allostery was proposed to manifest in CAP by dynamic differences at all time scales.<sup>3</sup> More recent work documents a coil-to-helix transition on cAMP binding to the unliganded intact CAP dimer<sup>29</sup> and this suggests that some structural ordering may contribute to the unfavorable entropy term, perhaps associated with formation of the cAMP<sub>2</sub> state relative to the  $cAMP_1$  state.

Although the conformational dynamics of the Zn<sub>1</sub>CzrA intermediate have not been investigated, a comparison of the Zn<sub>2</sub> and apo end states reveals multiple potential dynamical contributors to the different global entropies measured for loading the first vs the second Zn<sup>2+</sup> ion on the dimer.<sup>15</sup> For example, small differences in the residue-specific backbone order parameters,  $S^2$ , suggest a lower backbone conformational entropy of the Zn<sub>2</sub> vs the apo-state, both of which are potential contributor to  $\Delta C_p^{24}$  and negative cooperativity of ligand binding.<sup>3</sup> There may also be a detectable quenching of the internal dynamics at intermediate time scales on Zn<sup>2+</sup> binding

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<sup>(29)</sup> Popovych, N.; Tzeng, S. R.; Tonelli, M.; Ebright, R. H.; Kalodimos, C. G. Proc. Natl. Acad. Sci. U.S.A. 2009, 106, 6927–6932.

![](_page_8_Figure_2.jpeg)

*Figure 9.* Ribbon (a) and spacefill (b) diagrams of the solution structures of Zn(II)–CzrA (2KJC) and apo-CzrA bound to the CzrO DNA (2KJB)<sup>15</sup> (c) and (d). All apolar residues are shaded *gray* and polar residues are *red.* The Zn(II) chelate is not shown.<sup>15</sup> Note that these are identical views of these two conformations, looking down the dimer interface with respect to the C-terminal  $\alpha$ 5 helices. A solvent exposed pore dominated by hydrophobic residues, clearly visible in the DNA-bound state (b), significantly expands a small internal aqueous cavity in the Zn<sub>2</sub>–CzrA conformation (d, the entrance of which is marked by the asterisk), and is derived from the hydrophobic core of the homodimer.

as evidenced by the larger number of residues exhibiting conformational exchange broadening in apo-CzrA relative to  $Zn_2$  CzrA.<sup>15</sup> In addition,  $Zn^{2+}$  globally stabilizes the native-state conformational ensemble as determined by an overall decrease in hydrogen-deuterium exchange rates, at least in the core of the molecule.<sup>12,15</sup>

The magnitude of the overall heat capacity change on  $Zn^{2+}$ binding to apo-CzrA,  $\Delta C_p^{t} = -340$  cal mol<sup>-1</sup> K<sup>-1</sup> is consistent with a small structural reorganization in the dimer superimposed on a net disordering of water molecules at the metal binding sites.<sup>24,30-32</sup> This is in accord with the fact the global solution structures of apo-CzrA and Zn<sub>2</sub> CzrA are likely more similar than different.<sup>12,15</sup> The relative magnitudes of  $\Delta C_p^{-1}$  vs  $\Delta C_p^{2}$ would suggest that the first Zn<sup>2+</sup> binding event triggers a somewhat larger structural change in the apoprotein while introducing structural asymmetry and into the dimer.<sup>13</sup>

In striking contrast to the free apoprotein, the stepwise  $\Delta H_i$ values for Zn<sup>2+</sup> binding to the CzrA•CzrO complex are both *positive* and of similar magnitude (2.9 kcal mol<sup>-1</sup> and 3.6 kcal mol<sup>-1</sup>, Table 2); this gives rise to a small *positive*  $\Delta(\Delta H)$  and provides a contribution to  $\Delta(\Delta G)$  that is equivalent to the  $\Delta(-T\Delta S)$  term (0.6 kcal mol<sup>-1</sup>, Table 3). Thus, although the magnitude of homotropic coupling free energy,  $\Delta(\Delta G)$ , for the binding of Zn<sup>2+</sup> to the two sites on the protein–DNA complex is comparable to that of the apoprotein, the underlying energetics are very different. The origin of the stepwise unfavorable and endothermic  $\Delta H$  values is likely dominated by a decrease in favorable contacts at what is predicted to be a well-packed and enthalpically stabilized CzrA–CzrO interface.<sup>15</sup> These data further suggest that the dynamics of the fully saturated Zn<sub>2</sub>•CzrA•CzrO "ternary" complex that contribute to the entropy term may not be dampened to the same degree as Zn<sub>2</sub> CzrA, given the very different magnitudes of the  $\Delta(-T\Delta S)$  terms in each case (Table 3). Unfortunately a high resolution structure of the Zn<sub>2</sub>•CzrA•CzrO complex is not available. However, a <sup>1</sup>H-<sup>15</sup>N HSQC spectrum of the complex suggests that CzrA adopts a "hybrid" structure in what is essentially a short-lived, high energy intermediate state that attempts to maximize protein–DNA and protein-Zn<sup>2+</sup> interfaces.

Heterotropic Coupling Components. The driving force for the large overall  $\Delta G_c^{t}$  of +6.3 kcal mol<sup>-1</sup> is the large positive  $\Delta H_c^{t}$  of 9.4 kcal mol<sup>-1</sup> which is opposed by a  $-T\Delta S_c^{t}$  of  $\sim -3.1$ kcal mol<sup>-1</sup>, contributed nearly exclusively to the second Zn<sup>2+</sup> binding step (Figure 8). The large favorable coupling enthalpy is consistent with the significant structural differences among the allosteric states along the bottom vs the top horizontal equilibria (Figure 2), and has been observed in many allosteric proteins.<sup>6,33</sup> However, distinct underlying energetics characterize the two otherwise approximately equivalent  $\Delta G_c^i$  (~3) kcal mol<sup>-1</sup>, Table 3 and Figure 8) revealing that the two Zn<sup>2+</sup> ions function in fundamentally different ways. In the free protein, binding of the first  $Zn^{2+}$  ion drives a detectable conformational change in the dimer, while the second one dampens the internal dynamics and enhances the packing of the allosterically inhibited state. When bound to DNA, both of these processes are likely compromised, with the energetics of  $Zn^{2+}$  binding to the complex likely dominated by a sequential disruption of the protein-DNA interface on loading each metal.

The quaternary structure and dynamics "fingerprints" of apo-CzrA•CzrO differ dramatically from the allosterically inhibited Zn<sub>2</sub> form in solution (Figure 9).<sup>15</sup> In particular, the allosteric  $\alpha$ 5 helices in the CzrA-CzrO complex appear less well packed and highly dynamic over a range of time scales, with the hydrophobic core of the dimer at least partially exposed to

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solvent;<sup>15</sup> in fact, the solvent-exposed surface area in this conformation is measurably greater than in Zn<sub>2</sub> CzrA (neglecting the interface that interacts with the DNA) (Figure 9; Table S4 and Figure S5, Supporting Information). Despite this, Zn<sup>2+</sup> coordination by metal ligands in the C-terminal  $\alpha$ 5 helices occurs with a strongly favorable  $-T\Delta S$  term similar to that associated with formation of the Zn<sub>1</sub>-CzrA intermediate that is unconstrained by bound DNA (compare  $-T\Delta S_1$  with  $-T\Delta S_5$ ; Table 2), giving a first stepwise heterotropic coupling entropy,  $-T\Delta S_{c}^{1}$ , that is close to zero (Table 3). This indicates that the structural and dynamical foundations of the  $-T\Delta S_1$  and  $-T\Delta S_5$ terms may be distinct, that is, more favorable solvent reorganization at the "top" of the dimer and a loss of conformational restriction at the protein-DNA interface (resulting in a net positive  $\Delta H_5$ ) that more than compensates for what is likely to be significant ordering of the  $\alpha$ 5 helices upon Zn<sup>2+</sup> binding to the complex. In contrast, while  $-T\Delta S_6$  is less favorable for the binding of the second Zn<sup>2+</sup> to the Zn<sub>1</sub>•CzrA•CzrO complex relative to the first, it is not less favorable to the same degree as in unbound CzrA. In fact, nearly the entire magnitude of the  $-T\Delta S_{c}^{t}$  term derives from loading the second Zn<sup>2+</sup> to the complex, that is, from  $-T\Delta S_c^2$ . Since all the ancillary contributions to the entropy term associated with formation of the metal-ligand bonds in CzrA (H<sup>+</sup> release, solvent release from the metal, etc.) essentially cancel across the top and bottom horizontal Zn<sup>2+</sup> binding equilibria (Figure 2), it seems likely that the fully metalated Zn<sub>2</sub>•CzrA•CzrO complex is significantly more conformationally dynamic than is the allosterically inhibited Zn<sub>2</sub>-CzrA complex.

These thermodynamics of heterotropic coupling are fully compatible with simple expectations if one were to instead extract  $\Delta H_c^{t}$  and  $\Delta S_c^{t}$  from the two vertical, DNA binding equilibria (eq 2; Figure 2). Formation of the Zn<sub>2</sub>•CzrA•CzrO complex from the  $Zn_2$ -CzrA complex and free CzrO DNA ( $K_4$ , Figure 2) is likely to be representative of nonspecific binding, and would therefore lack typical characteristics of a well-packed protein-DNA interface. Formation of this complex may well be characterized by a small enthalpy change;<sup>34</sup> in fact, efforts to measure this equilibrium by ITC were not successful (data not shown), thus consistent with a very small and positive  $\Delta H_4$ (Table 3), in accord with experiment. The less stabilized protein-DNA interface, a consequence of loss of energetically important contacts, of Zn2•CzrA•CzrO as compared to CzrA•CzrO would indeed predict additional conformational flexibility and a more favorable coupling entropy, (i.e.,  $\Delta S_c^{t} > 0$ ).

#### Summary

The thermodynamic approach we outline here is general and provides a means to elucidate the energetics of metalloregulation by other ArsR family sensors characterized by far smaller coupling free energies than CzrA,<sup>21,35</sup> as well as other metal-activated repressors including NikR,<sup>36</sup> Fur-family,<sup>37,38</sup> DtxR

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family<sup>39,40</sup> repressors. Here, structural studies suggest that metaldependent narrowing of the native-state conformational ensemble<sup>29</sup> may be of primary importance in ligand-activated operator-promoter binding. In the specific case of S. aureus CzrA, we show that the negative cooperativity of Zn<sup>2+</sup> binding to apo-CzrA is governed by primarily by entropy and can be rationalized on the basis of sizable changes in protein dynamics superimposed on a corresponding small structural change.<sup>32</sup> In striking contrast, the large enthalpic contribution to the heterotropic coupling free energy is consistent with a more dogmatic model of protein allostery, which posits that a quaternary structural change in an oligomeric protein drives biological regulation,<sup>33</sup> a view fully compatible with solution structural studies of CzrA.<sup>15</sup> However, the net positive entropic component of the heterotropic coupling free energy is also critical to the global regulatory scheme since the intrinsic disorder of the allosteric sites in the CzrA•CzrO complex<sup>15</sup> may lower the barrier to Zn<sup>2+</sup> binding<sup>41</sup> while creating a high energy Zn<sub>2</sub>•CzrA•CzrO complex poised to disassemble into Zn<sub>2</sub>•CzrA and free CzrO. It will be interesting to determine the degree to which occupancy of both sites by  $Zn^{2+}$  is required for transcriptional derepression in the cell.<sup>42</sup>

### **Materials and Methods**

**Buffers and Reagents.** Hepes (4-(2-hydroxyethyl)-1-piperazineethanesulfonic acid), Mops (3-(*N*-Morpholino)propanesulfonic acid), BisTris (2-(bis(2-hydroxyethyl)amino)-2-(hydroxymethyl-) propane-1,3-diol), and Aces (2-(carbamoylmethylamino)ethanesulfonic acid) were obtained from VWR or Sigma and were prepared using Milli-Q deionized water (>18 MΩ). All chromatography materials were from GE Biosciences. Ultrapure Zn(SO<sub>4</sub>) was obtained from Alfa Aesar. A self-complementary 28-nucleottide DNA (IDT) based on the native *czr* operator promoter region, 5'-T<u>AACATATGAA-CATATGTTCATATGTTA</u> containing the conserved 12–2–12 inverted repeat (underlined) was purified on an äkta 10 purifier using a Source 15Q column (GE Healthcare Life Sciences), and annealed, with duplex DNA further purified away from ssDNA using the same column.

**Protein Purification.** CzrA, expressed from a pET3a plasmid construct in a BL21 strain of *E. coli*, was purified as previously described<sup>23</sup> and obtained >95% pure. Protein integrity was verified by MALDI-TOF mass spectrometry at the Indiana University Department of Chemistry Mass Spectrometery Facility on a Bruker Biflex III MALDI-TOF Mass Spectrometer. ZnSO<sub>4</sub> concentrations were verified by atomic absorption spectroscopy on a Perkin-Elmer AAnalyst Spectrometer using AA standards from Alfa Aesar in the linear range from 0.1 to 0.75 ppm. Protein concentration was determined using the molar extinction coefficient at  $\varepsilon_{280} = 4470$  M<sup>-1</sup> cm<sup>-1.43</sup>

**Isothermal Titration Calorimetry.** All ITC titrations were carried out on a MicroCal VP-ITC calorimeter using ~1 mM  $Zn^{2+}$  or ~500  $\mu$ M CzrA dimer in the syringe and 15–50  $\mu$ M macromolecule (CzrA dimer, CzrO or CzrA•CzrO) in the reaction cell. Injections (3–10  $\mu$ L) were made at the default rate of 2  $\mu$ L per second and 240–600 s was allowed for equilibration. All reactions were conducted in at least triplicate in 400 mM NaCl at pH 7.0 in the indicated buffer and

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temperature. The Origin 7.0 Software package provided by MicroCal was used for all fitting procedures and the appropriate chemical model is noted in the text. In some cases, nitrilotriacetic acid (NTA) was used as a strong competitor ligand for  $Zn^{2+}$  to bring the observed  $Zn^{2+}$ -CzrA binding constant into the equilibrium (nonstoichiometric) range for analysis. In order to obtain NTA-independent binding constants, the following approach was used. Briefly, the fitted  $K_{\rm ITC}$  contains contributions from a fixed concentration of NTA (3.0 mM). Using NIST approved equilibrium constants, the competition from 3.0 mM NTA can be calculated from eq 14 and used to convert  $K_{\rm ITC}$  into  $K_i$  from eq 15.

$$K_{\rm comp} = 1 + K_{\rm ZnNTA} \cdot [\rm NTA_{\rm base}]$$
(14)

$$K = K_{\rm comp} \cdot K_{\rm ITC} \tag{15}$$

Under these conditions,  $K_{\text{comp}}$  is  $1.7 \times 10^5$  and application of eq 15 generates NTA-independent values of  $K_1$  and  $K_2$  (Figure 2).

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**Supporting Information Available:** Tables of raw thermodynamic data, the results of calculations of solvent accessible surface area, and gel filtration analysis of Zn<sub>2</sub>•CzrA•CzrO complexes. This material is available free of charge via the Internet at http://pubs.acs.org.

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